

# Evaluating Domain-General Learning of Parametric Stress Typology

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# Overview

- Are learners for Principles & Parameters grammars different from OT learners?
  - Do they require access to the content of linguistic parameters (Pearl 2007, 2011)?
  - In other words, are they domain-specific (and must they be specified in UG)?
- Nazarov & Jarosz (2017): sophisticated inference in a domain-general learner may be sufficient
- Current work: typological test of this learner

Domain-general vs.  
domain-specific

# Stress in OT vs. P&P

- All learners for **regular** stress patterns in OT are domain-general (have no specific knowledge of grammar)
  - Only refer to match/mismatch, settings/probabilities in the model, degrees of certainty/uncertainty
- However, for stress in Principles and Parameters (e.g., Dresher and Kaye 1990), domain-specific learners appear to be required (Pearl 2007, 2011)
  - Learners that refer to names of specific parameters, and to the content of specific parameters
  - Cannot be general cognitive strategy, must be at least partially specified in UG

# Hypothesis

- Our hypothesis (see also Nazarov and Jarosz 2017): P&P word stress grammars can be learned with domain-general mechanisms (i.e., those without access to information on specific parameters)
  - Established domain-general learner (Yang 2002): not very effective (Pearl 2011, Nazarov and Jarosz 2017)
  - Propose new domain-general learner (Nazarov and Jarosz 2017) that has a better chance of dealing with the ambiguity in the learning problem

# Previous results and overview

- Inspired by Tesar and Smolensky (2000), Nazarov and Jarosz (2017) tested their learner on a subset of stress systems possible in Drescher and Kaye (1990)
  - Nazarov and Jarosz's learner highly successful, Yang's learner learns only 1 stress system
- Here: our existing learner + 3 versions of Yang's learner tested on ALL 280 stress systems possible in Drescher and Kaye (1990)
- EDPL successful on 96% of these stress systems

The learning challenge

# Ambiguity in stress systems

- A single data point is often ambiguous between many different analyses

a.  $\acute{\sigma} \sigma \sigma \sigma \sigma \sigma$

b. Trochee = On, MainStressLeft = On, **SilentSecondaryStress = On**

$(\underline{\acute{\sigma}} \sigma) (\underline{\sigma} \sigma) (\underline{\sigma} \sigma)$  (multiple trochaic feet are built over the word, but only the leftmost one, the head foot, receives stress)

c. Trochee = On, **Bounded = Off**

$(\underline{\acute{\sigma}} \sigma \sigma \sigma \sigma \sigma)$  (a single, unbounded trochaic foot is constructed over the word)

d. MainStressLeft = On, **QS = Off, NoLightFootHead = On**

$\acute{\sigma} \sigma \sigma \sigma \sigma \sigma$  (feet are constructed, then destroyed, since their heads are light; instead, stress comes on the leftmost element: the 1st syllable)

# Credit/Blame problem

- This leads to a Credit/Blame problem (cf. Drescher and Kaye 1990)
  - success in correctly generating a data point with certain parameter settings makes it unclear which of these to *credit* for the victory
  - failure to correctly generate a data point with certain parameter settings makes it unclear which of these to *blame* for the defeat
- Leads to a potential stalemate for the learner

# Approaches

- Proposed approaches to Credit/Blame problem:
  - Learning only from data points that provide **unambiguous evidence** for a particular parameter setting  
(Dresher and Kaye 1990, Fodor 1998, Pearl 2007)
  - Learning parameters in a **pre-specified order**  
(Dresher and Kaye 1990, Pearl 2007)
  - Adjusting each parameter's setting in proportion to the strength of support from each data point (use **statistical inference**)  
(Gould 2015, Nazarov and Jarosz 2017)

Domain-general learners

# Domain-general proposals

- Yang (2002): Naïve Parameter Learner (NPL)
  - Maximally simple statistical learner for parameters
  - Shows good initial results for simple syntactic parameter setting problems
- Nazarov and Jarosz (2017): Expectation-Driven Parameter Learner (EDPL)
  - Based on the Expectation-Driven Learning algorithm for OT (Jarosz 2015)
  - Unifies hidden structure learning for OT and parameters

# Domain-general proposals

- Share:
  - Probabilistic parameter grammar
  - Online linear update rule
- Differ in:
  - Use of statistical inference
  - Nature of the values input to the update rule (categorical or probabilistic)

# Probabilistic parameter grammar

- Principles:
  - A parametrized word stress generator that assigns foot and PrWd structure
- Parameters:
  - The setting of each parameter is represented by a Bernoulli distribution
  - For each instance of generation, sample an On/Off value from each Bernoulli distribution

# Probabilistic parameter grammar

- Parameters:

- The setting of each parameter is represented by a Bernoulli distribution

$$G = \left\{ \begin{array}{l} P(\text{FootHead}:L) = 0.6 \quad P(\text{Footing}:L \rightarrow R) = 0.3 \\ P(\text{FootHead}:R) = 0.4 \quad P(\text{Footing}:R \rightarrow L) = 0.7 \quad \dots \end{array} \right\}$$

- For each instance of generation, sample an On/Off value from each Bernoulli distribution

<i>/tatama/</i>	<i>sample FootHead: L and Footing: R → L</i>	<i>ta('ta.ma)</i>
<i>/tatama/</i>	<i>sample FootHead: L and Footing: L → R</i>	<i>('ta.ta)ma</i>

# Yang (2002)

- Naïve Parameter Learner (NPL) assigns a Reward value of 1 or 0 for each parameter setting
- For each data point, generates stress pattern
  - If **match** (observed = predicted), **R = 1** for all parameter settings utilized  
(R = 0 for all other settings)
  - If **mismatch** (observed  $\neq$  predicted), **R = 0** for all parameter settings utilized  
(R = 1 for all other settings)

# Update rule

- Linear Reward-Penalty Rule (Bush and Mosteller 1951) responds to each data point by adjusting parameter probabilities up or down:

$$\hat{P}(\psi_i | G_{t+1}) = \lambda \times R(\psi_i) + (1 - \lambda) \times P(\psi_i | G_t)$$

↑  
New probability

↑  
Learning rate

↑  
Reward value

↑  
Old probability

# Nazarov and Jarosz (2017)

- Each parameter setting's reward (R) is a probability
  - $R(\psi_i) = p(\psi_i | \text{data point})$  – How useful is this parameter setting for successfully analyzing this data point?
  - Approximates E-step in Expectation Maximization
- Easily computed through Bayesian reformulation (Jarosz 2015):

$$R(\psi_i) = p(\psi_i | \text{data point}) = \frac{p(\text{data point} | \psi_i) * p(\psi_i)_{old}}{p(\text{data point})}$$

*(by Bayes' Rule)*

# Nazarov and Jarosz (2017)

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$$R(\psi_i) = p(\psi_i | \text{data point}) = \frac{p(\text{data point} | \psi_i) * p(\psi_i)_{old}}{p(\text{data point})}$$

Prob. of choosing this parameter setting (look up in current grammar)

# Nazarov and Jarosz (2017)

- Each parameter setting's reward (R) is a probability
  - $R(\psi_i) = p(\psi_i | \text{data point})$  – How useful is this parameter setting for successfully analyzing this data point?
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Estimated by sampling  
(see below)

# Nazarov and Jarosz (2017)

- Each parameter setting's reward (R) is a probability
  - $R(\psi_i) = p(\psi_i | \text{data point})$  – How useful is this parameter setting for successfully analyzing this data point?
  - Approximates E-step in Expectation Maximization
- Easily computed through Bayesian reformulation (Jarosz 2015):

$$R(\psi_i) = p(\psi_i | \text{data point}) = \frac{p(\text{data point} | \psi_i) * p(\psi_i)_{old}}{p(\text{data point})}$$

Derived from both  
previously mentioned  
quantities

# Estimating $p(\text{data point} | \psi_i)$

- **$p(\text{data point} | \psi_i)$**  estimated as proportion of matches out of a sample of productions, assuming the setting  $\psi_i$  (constrained sampling)
  - Temporarily set  $p(\psi_i)$  to 1 in current grammar (e.g., set FootHead to L, keep all other parameters probabilistic)
  - Produce data point  $r$  times and assess match/mismatch (we chose  $r = 50$ )
  - $p(\text{data point} | \psi_i) \approx \frac{\text{number of matches}}{r}$

# Comparison

- Reward computation for NPL: based on a single guess as to hidden structure
- Reward computation for EDPL: based on statistical inference of hidden structure
- Computation time for both learners: linear
  - NPL: Number of match/mismatch trials per data point = 1
  - EDPL: Number of match/mismatch trials per data point = # of parameters x # of settings x sample size (in our case: 1100)

Simulations + results

# Simulation setup

- All 280 unique stress systems possible in Dresher and Kaye (1990) generated
  - As in Nazarov and Jarosz (2017), presented on 1080 words of 3 to 6 syllables
    - Every possible combination of CV, CVC, CVV syllables represented exactly once
  - All words equally likely to occur (“parent” samples from uniform distribution)
- For each of these 280 stress systems, NPL (batch size = 0, 5, 10) and EDPL run 10 times
  - NPL: maximum of 10,000,000 iterations
  - EDPL: maximum of 100,000 iterations

# Random baseline

- In addition, random baseline learner run 10 times for each stress system (“how fast can you learn a system by just guessing”):
  - Choose a random parameter grammar (non-probabilistic), and generate each incoming data point’s stress with this grammar
  - At each mismatch, choose another random grammar
  - Convergence: when no more mismatches are detected
    - Convergence guaranteed: number of grammars is finite

# Results

	EDPL	NPL, no batch	NPL, batch = 5	NPL, batch = 10	Random baseline
# of runs that converge (% of 2800)	2644 (94.4%)	21 (0.8%)	176 (6.3%)	148 (5.3%)	
# of stress systems that converge at $\geq 1$ run (% of 280)	268 (95.7%)	3 (1.1%)	25 (8.9%)	24 (8.6%)	
# of stress systems that converge at all 10 runs (% of 280)	255 (91.1%)	2 (0.7%)	10 (3.6%)	12 (4.3%)	
Median # of iterations/data points till convergence (range)	200 (100– 15,700)	200,000 (4,400– 9,999,900)	70,000 (400– 9,000,000)	4,100 (700– 9,999,900)	700 (100- 30,000)

# Results

	EDPL	NPL, no batch	NPL, batch = 5	NPL, batch = 10	Random baseline
<b>&gt; 90%</b>					
# of runs that converge (% of 2800)	2644 (94.4%)	21 (0.8%)	176 (6.3%)	148 (5.3%)	
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**Faster than baseline**

# Results

	EDPL	NPL, <sup>&lt; 10%</sup> no batch	NPL, batch = 5	NPL, batch = 10	Random baseline
<b>&gt; 90%</b> # of runs that converge (% of 2800)	2644 (94.4%)	21 (0.8%)	176 (6.3%)	148 (5.3%)	
# of stress systems that converge at $\geq 1$ run (% of 280)	268 (95.7%)	3 (1.1%)	25 (8.9%)	24 (8.6%)	
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Faster than baseline

Slower than baseline

Relation to typology

# Stress patterns (not) learned

- NPL (batch = 0) only learns initial/final stress
- NPL (batch = 5, 10) learns:
  - initial/final stress, penult/peninitial stress
  - a selective range of quantity-sensitive patterns
- EDPL learns the overwhelming majority of all patterns
  - 12 stress systems never learned
  - 13 stress systems learned, but not at all 10 runs

# Never learned by EDPL (or NPL)

- 10 of the systems where location of stress **depends on (silent) feet** built throughout the word

{  $(\sigma \sigma) (\sigma \sigma) (' \sigma \sigma)$       *penult stress in even-syllable words*  
   $(\sigma \sigma) (\sigma \sigma) (' \sigma \sigma) \sigma$       *antepenult stress in odd-syllable words*

- 2 systems where only **long vowels attract stress** to the word edge

{ ma ta 'ka tan      ma taa 'ka ta      ma ta 'kaa ta  
  ma ta ka 'taa      ma taa ka 'taa      ma ta kaa 'taa

- None of these systems are learned by the NPL varieties, either

# Dependence on silent feet

- 10 systems where the location of stress depends on (silent) feet built throughout the word

$\left\{ \begin{array}{l} (\sigma \sigma) (\sigma \sigma) (' \sigma \sigma) \\ (\sigma \sigma) (\sigma \sigma) (' \sigma \sigma) \sigma \end{array} \right.$       *penult stress in even-syllable words*  
*antepenult stress in odd-syllable words*

- 1 of these resembles Cairene Arabic (McCarthy 1979)
  - But: silent foot analysis disputed by Buell (1996), (Becker 2017)
  - Other 9 not-learned stress systems unattested
- Negev Bedouin Arabic and Cyrenaican Arabic (StressTyp2) also have a silent foot system, but one that IS learned by the EDPL

# Stress VV at word edge

- 2 systems where only long vowels attract stress to the word edge

{ ma ta 'ka tan      ma taa 'ka ta      ma ta 'kaa ta  
ma ta ka 'taa      ma taa ka 'taa      ma ta kaa 'taa

- Both systems are attested (StressTyp2)
- Corresponding patterns where both VV and VC are heavy: learned
  - Suggests that the problem is that VV syllables are in the **minority** in our artificial languages

Conclusion

# Domain-general vs. domain-specific

- Are domain-specific mechanisms necessary for stress parameter setting
  - Yang's (2002) NPL (domain-general learner) deemed insufficient (Pearl 2011)
  - However, domain-specific mechanisms increase the amount and kind of information stored in UG
- Nazarov and Jarosz (2017) propose alternative domain-general learner (EDPL)
  - Has stronger statistical inference component
  - Still computable in linear time

# Typological test

- Sufficiency of domain-general learning:
  - 3 attested stress systems not learned by EDPL may have alternative explanation
  - For the rest, domain-specific learning mechanisms only serve to learn unattested languages
- Future work/in progress:
  - Other parameter systems (syntactic parameters: in progress)
  - Vary implementational details of NPL and EDPL (sample size, ...)
  - What predicts learnability under NPL and EDPL?

Thank you!

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# Appendix

# Scope of application

- **Domain-specific** learning mechanisms are picky with respect to the nature of the systems they can optimize (specific to a domain)
  - Require information on the content of certain elements in the system
  - Example: Markedness-over-Faithfulness bias
- **Domain-general** learning mechanisms treat the system they optimize as a black box, and can be applied to data of any nature
  - Require only access to settings/probabilities in the system and feedback about their success
  - Example: Gradual Learning Algorithm

# Yang (2002)

- Naïve Parameter Learner (NPL) with **batch** > 0 (Pearl 2011, p.c.) assigns a Reward value of 1 or 0 for each parameter setting
- For each data point, generates stress pattern
  - If **match** (observed = predicted), **counter** =+ 1 for all parameter settings utilized
  - If **mismatch** (observed ≠ predicted), **counter** =- 1 for all parameter settings utilized
- Once a parameter's counter variable reaches **batch**, update with  $R = 1$  for the default value
- Once a parameter's counter variable reaches **-batch**, update with  $R = 0$  for default value

# Not always learned: antepenult

- 13 stress systems not always learned by EDPL
  - 10 systems where stress depends on feet built throughout the word (like never learned systems): all unattested
  - 3 systems of weight-insensitive stress (see appendix)
- Only attested one: antepenultimate stress with no secondary stress (15 lects in StressTyp2)

$\sigma' \sigma \sigma \sigma$

$\sigma \sigma' \sigma \sigma \sigma$

$\sigma \sigma \sigma' \sigma \sigma \sigma$

$\sigma \sigma \sigma \sigma' \sigma \sigma \sigma$

- Learned at 9 out of 10 iterations (not learned at all by NPL)

# Ambiguity in stress systems

- Some data points are completely uninformative for certain parameters:

a. (CV.CV̀)(CV.CV́)

QS = Off, HeavyVC = On/Off?

QS = On, HeavyVC = Off?

QS = On, HeavyVC = On?

(CVV.CV̀)(CV.CV́C)

(CV̀V)(CV.CV́)CVC

(CV̀V)(CV.CV̀)(CV́C)

b. (σ σ̀) (σ σ́)

L-to-R = On?

L-to-R = Off?

(σ σ̀) (σ σ́) σ

σ (σ σ̀) (σ σ́)

# Ambiguity in stress systems

- Opposite settings of parameters can yield the same outcome:

a.  $\sigma \sigma \sigma \sigma \overset{\prime}{\sigma} \sigma$

b. **Trochee** = **On**, Bounded = On, MainStrLeft = Off, SilentSecStr = On, **XMetrical** = **Off**  
 $(\underline{\sigma} \sigma) (\underline{\sigma} \sigma) (\overset{\prime}{\underline{\sigma}} \sigma)$  (multiple trochaic feet are built over the word, no extrametricality, but only the rightmost one, the head foot, receives stress)

c. **Trochee** = **Off**, MainStrLeft = Off, L-to-R = Off, **XMetrical** = **On**, XMetricalLeft = Off  
 $\sigma (\sigma \underline{\sigma}) (\sigma \overset{\prime}{\underline{\sigma}}) \langle \sigma \rangle$  (iambic feet are built R-to-L over the word minus the rightmost syllable, but only the rightmost (head) foot receives stress)  
 $(\sigma \sigma \sigma \sigma \overset{\prime}{\underline{\sigma}}) \langle \sigma \rangle$

# Ambiguity in stress systems

- There may be logical dependencies between parameter settings:

a.  $\sigma \underline{\sigma} \sigma \underline{\sigma} \sigma$

b. **Trochee = Off, L-to-R = On, XMetrical = Off, Defooting = On**

$(\sigma \underline{\sigma}) (\sigma \underline{\sigma}) \sigma$  (trochaic feet built from left to right, no degenerate feet)

c. **Trochee = On, L-to-R = Off, XMetrical = Off, Defooting = On**

$\sigma (\underline{\sigma} \sigma) (\underline{\sigma} \sigma)$  (iambic feet built from right to left, no degenerate feet)

d. **Trochee = On, (L-to-R = On), XMetrical = On, XMetricalLeft = On**

$\langle \sigma \rangle (\underline{\sigma} \sigma) (\underline{\sigma} \sigma)$  (trochaic feet built in either direction over the word minus its leftmost syllable)

# Dresher and Kaye (1990)

- 11 parameters:

(parameter 10  
formulated  
according to  
Dresher 1999)

1. The word-tree is strong on [Left/Right] (*henceforth MainStressLeft = On/Off*)
2. Feet are [Binary/Unbounded] (*henceforth Bounded = On/Off*)
3. Feet are built from the [Left/Right] (*henceforth L-to-R = On/Off*)
4. Feet are strong on the [Left/Right] (*henceforth Trochee = On/Off*)
5. Feet are quantity sensitive (QS) [Yes/No] (*henceforth QS = On/Off*)
6. Feet are QS to the [Rime/Nucleus] (*henceforth HeavyVC = On/Off*)
7. A strong branch of a foot must itself branch [No/Yes]  
(*henceforth NoLightFootHead = On/Off*)
8. There is an extrametrical syllable [No/Yes] (*henceforth XMetrical = On/Off*)
9. It is extrametrical on the [Left/Right] (*henceforth XMetricalLeft = On/Off*)
10. Feet consisting of a single light syllable are removed [No/Yes]<sup>1</sup>  
(*henceforth Defooting = On/Off*)
11. Feet are noniterative [No/Yes] (*henceforth SilentSecondaryStress = On/Off*)

# Examples of cues

- Quantity-sensitivity:
  - Default: off; set to on if there is a pair of words of equal length with different stress patterns (This “cheats” on the one-data-point-at-a-time criterion)
- Foot Boundedness:
  - Default: off; set to on if the corpus contains a non-peripheral stressed Light syllable (with periphery modified by extrametricality)
- Footing Direction (L-to-R or R-to-L) and Foot Headedness (Left or Right)
  - Not [L-to-R and Left-headed] if corpus has stressed L after  $H(LL)_0$  or  $\#(XL)_0X$
  - Not [L-to-R and Right-headed] if corpus has stressed L after  $H(LL)_0$  or  $\#(LX)_0$
  - Not [R-to-L and Left-headed] if corpus has stressed L before  $(LL)_0H$  or  $(XL)_0\#$
  - Not [R-to-L and Right-headed] if corpus has stressed L before  $(LL)_0H$  or  $X(LX)_0\#$

# Nazarov and Jarosz (2017)

- Each parameter setting's reward (R) is a probability
  - $R(\psi_i) = p(\psi_i | \text{data point})$  – How useful is this parameter setting for successfully analyzing this data point?
  - Approximates E-step in Expectation Maximization
- Easily computed through Bayesian reformulation (Jarosz 2015):

$$p(\text{data point}) = \frac{p(\text{data point} | \psi_i) * p(\psi_i)_{old}}{p(\text{data point} | \psi_i) * p(\psi_i)_{old} + p(\text{data point} | \neg\psi_i) * p(\neg\psi_i)_{old}}$$

Probability of picking opposite value of the same parameter

# Nazarov and Jarosz (2017)

- Tested NPL (batch = 0) and EDPL on 23 stress systems possible in Drescher and Kaye (1990)
  - Omitted Defooting parameter
  - Learners run for 1,000,000 iterations, 10 runs per stress system
- Results:
  - NPL (batch 0): converged in 4.3% of runs/stress systems
    - mean number of iterations: 89,400
  - EDPL: converged in 96.1% of runs, 95.7% of stress systems (100% of stress systems had at least one convergent run)
    - mean number of iterations: 200

# Nazarov and Jarosz (2017)

- Results:

- NPL only learned the language with edgemost stress, which is compatible with the greatest number of settings of all parameters (SAPs)

'σ σ σ

'σ σ σ σ

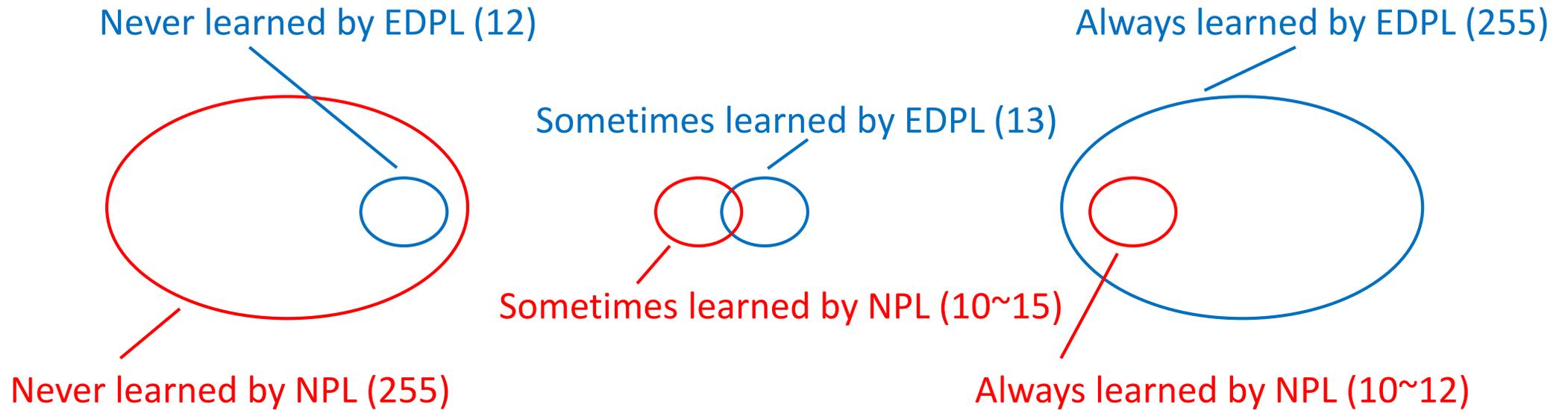
'σ σ σ σ σ

'σ σ σ σ σ σ

- EDPL learned all but a stress pattern with L-to-R trochees and Left extrametricality, which shares all its forms with some other stress pattern

QI L-to-R languages	3 syllables	4 syllables	5 syllables	6 syllables
a. Trochees, Ext. L	<σ> ('σ σ)	<σ> ('σ σ)(,σ)	<σ> ('σ σ)(,σ σ)	<σ> ('σ σ)(,σ σ)(,σ)
b. Iambs, Ext. R	(σ 'σ) <σ>	(σ 'σ)(,σ) <σ>	(σ 'σ)(σ ,σ) <σ>	(σ 'σ)(σ ,σ)(,σ) <σ>
c. Iambs, No Ext.	(σ 'σ)(,σ)	(σ 'σ)(σ ,σ)	(σ 'σ)(σ ,σ)(,σ)	(σ 'σ)(σ ,σ)(σ ,σ)

# Number of stress patterns (not) learned



# QI systems not always learned by EDPL

- Post-penultimate stress with alternating secondary stress (unattested)

$\sigma \sigma' \sigma \sigma$                        $\sigma \sigma' \sigma \sigma \sigma$                        $\sigma \sigma' \sigma \sigma, \sigma \sigma$                        $\sigma \sigma' \sigma \sigma, \sigma \sigma \sigma$

- Penultimate stress with alternating secondary stress EXCEPT on the first syllable (unattested)

$\sigma \sigma' \sigma \sigma$                        $\sigma, \sigma \sigma' \sigma \sigma$                        $\sigma \sigma, \sigma \sigma' \sigma \sigma$                        $\sigma, \sigma \sigma, \sigma \sigma' \sigma \sigma$

- Antepenultimate stress with no secondary stress (attested)

$\sigma' \sigma \sigma \sigma$                        $\sigma \sigma' \sigma \sigma \sigma$                        $\sigma \sigma \sigma' \sigma \sigma \sigma$                        $\sigma \sigma \sigma \sigma' \sigma \sigma \sigma$

# Statistics on language attestedness

- StressTyp2 contains 699 languages (and 699+ lects)
  - 137 (about 20%) of these have regular stress but cannot be analyzed with Drescher & Kaye's system
- Of 280 stress systems in Drescher and Kaye's system, 46 are attested in StressTyp2
  - 43/46 sometimes learned by EDPL
  - 42/46 always learned by EDPL
  - NPL/batch=0: 3/46 sometimes learned
  - NPL/batch=5 or 10: 9/46 sometimes learned

# Predictors of success

- Number of grammars compatible with stress pattern  
( $\propto$  likelihood of *guessing* a correct grammar)

SAPs per stress system	330	122	32	16	9	8	6	4	3	2	1
Number of stress systems	2	2	8	16	4	4	18	40	8	94	84

- Somers' D rank correlation between individual runs' performance and grammars per stress system:

D = 0.998 for NPL with no batch;

D = 0.813 for NPL with batch = 5;

D = 0.865 for NPL with batch = 10

D = **0.045** for EDPL!

# Typological test

- Both learners tested on a 280 possible stress systems in Dresher and Kaye (1990):
  - EDPL performs accurately on 95% of runs and >90% of stress systems
  - NPL performs accurately on <10% of runs/stress systems
- NPL's performance can be somewhat improved by using Yang's (2002), Pearl's (2011) batch mechanism
  - However, the stress systems learned still have a strong tendency to be compatible with many grammars (higher chance of "guessing" the right grammar)

Domain-specific learner

# Dresher and Kaye (1990)

- Categorical learner (no probabilities)
  - Each parameter has a **cue**: a configuration in the data that uniquely signifies a particular setting of the parameter
    - Once you see a cue for parameter setting  $\psi$  in a data point, add  $\psi$  to the grammar

e.g., if you see a cue for Extrametricality = Off (stress on the first syllable when stress on the last syllable has been observed in another data point, or vice versa), the grammar now contains Extrametricality = Off
    - This allows the learner to only consider unambiguous evidence
  - There is also a fixed **order** in which cues are considered:
    - Look out for cues for Parameter 1 first, then those for Parameter 2, then those for Parameter 3, etc., until all parameters are set

# Dresher and Kaye (1990)

1. Look for cue for parameter 1

~~data point 1~~   ~~data point 2~~   ~~data point 3~~   data point 4  
matches cue for parameter 1 = off

2. Parameter 1 set to Off

3. Look for cue for parameter 2

~~data point 5~~   ~~data point 6~~   ~~data point 7~~ .....

(Data point 1, Data point 2, etc. are tokens –  
the learner learns from one data point token at a time, simulating real-time acquisition)